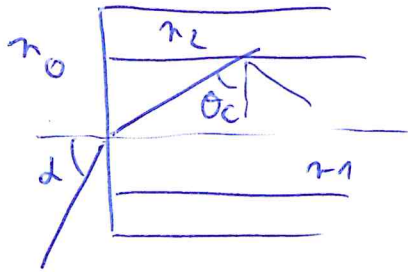


SOLUZIONE ESERCIZIO FIBRA

1) LA LEGGE DI SNELL IMPONE CHE

$$n_0 \sin(\alpha) = n_1 \sin(\alpha_1) = n_1 \sin(90 - \theta_c) = n_1 \cos(\theta_c)$$



PER TIR:

$$\sin(\theta_c) = \frac{n_2}{n_1}$$

DI CONSEGUENZA:

$$\begin{aligned} n_0 \sin(\alpha) &= n_1 \cos(\theta_c) = n_1 \sqrt{1 - \sin^2(\theta_c)} = n_1 \sqrt{1 - \left(\frac{n_2}{n_1}\right)^2} \\ &= \sqrt{n_1^2 - n_2^2} = NA \end{aligned}$$

QUINDI

$$\alpha = \arcsin(NA) \approx 11,79^\circ$$

$$2) \quad n_2 = \sqrt{n_1^2 - NA^2} \approx 1,385$$

DISPERSIONS INTERMODALI:

$$\Delta t = \frac{L}{c} (n_1 - n_2) = 95 \mu s \rightarrow f_{max} = 2 \text{ MHz}$$

$$3) \quad V = \frac{2\pi r}{\lambda} NA < 2,405 \rightarrow r < 249 \mu m$$

SOLUZIONI ESERCIZIO N.1030 LASER

d)

$$\tau_{PH} = \frac{n}{C d_T} \rightarrow d_T = \frac{n}{C \tau_{PH}} = 5217,4 \text{ m}^{-1}$$

$$d_S = d_T - \frac{1}{2L} \ln \left(\frac{1}{R_1 R_2} \right)$$

$$R_1 = R_2 = R = \left(\frac{3,6 - 1}{3,6 + 1} \right)^2 = 32\%$$

$$d_S = 1541,8 \text{ m}^{-1}$$

b) PARTIAMO DALL'EQUAZIONE DI BILANCIO

$$\frac{I}{q L W d} = \frac{n}{\tau_V} + C n N_{PH}$$

A SOGLIA TRASCURIAMO EMISSIONI SPONTANEE $\rightarrow N_{PH} \sim 0$

$$\frac{I_{TH}}{q L W d} = \frac{n_{TH}}{\tau_V} \rightarrow I_{TH} = \frac{n_{TH}}{\tau_V} q L W d = 13,6 \text{ mA}$$

$$c) P_0 = \frac{\frac{1}{2} N_{PH} \cdot \text{VOLTAGE} \cdot \text{ENERGIA}}{\Delta t} (1 - R)$$

RICORDIAMO N_{PH}

$$I > I_{TH} \begin{cases} n = n_{TH} \\ \frac{N_{PH}}{\tau_{PH}} = C n_{TH} N_{PH} \end{cases}$$

$$\frac{I}{qLWd} = \frac{n_{TH}}{\tau_r} + C n_{TH} N_{PH} = \frac{n_{TH}}{\tau_r} + \frac{N_{PH}}{\tau_{PH}}$$

$\rightarrow \frac{I_{TH}}{qLWd}$

$$\frac{(I - I_{TH})}{qLWd} = \frac{N_{PH}}{\tau_{PH}}$$

$$L \rightarrow N_{PH} = \frac{\tau_{PH}}{qLWd} (I - I_{TH})$$

Quercel.

$$P_0 = \frac{1}{2} \frac{\tau_{PH}}{q} \frac{hc}{\lambda} \cdot \frac{c}{n} \cdot \frac{1}{L} (1-R) (I - I_{TH})$$

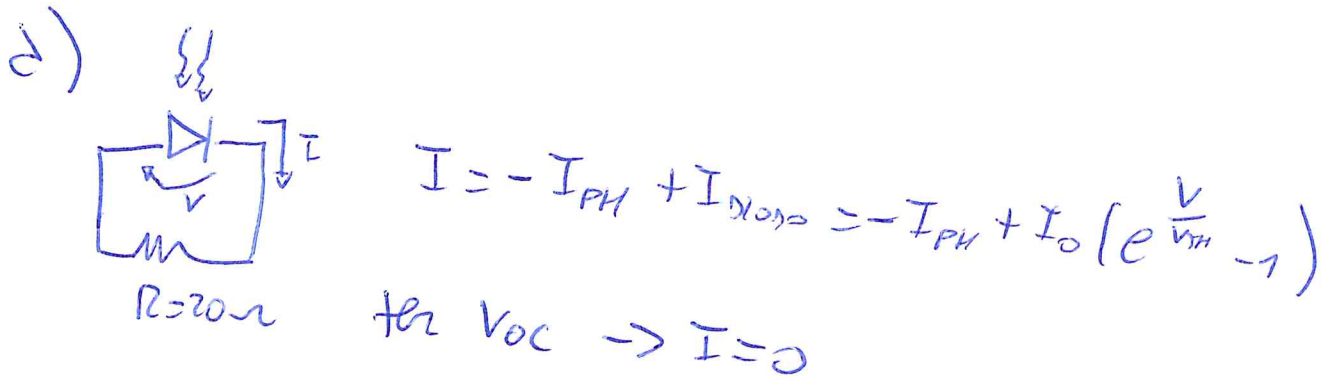
n_{SLOPE}

$$n_{SLOPE} = \frac{hc^2 \tau_{PH} (1-R)}{2q\lambda n L} = 0,3 \frac{W}{A}$$

$$\text{Ne } I = 50 \text{ mA}$$

$$P_0 = n_s (I - I_{TH}) = 10,92 \text{ mW}$$

SOLUZIONE ESERCIZIO CELLA SOLARE



$$-I_{PH} + I_0 \left(e^{\frac{V}{V_{TH}}} - 1 \right) = 0$$

Ne otteniamo $V_{OC} \gg V_{TH} \Rightarrow e^{\frac{V_{OC}}{V_{TH}}} = \frac{I_{PH}}{I_0} \Rightarrow V_{OC} = V_{TH} \ln \left(\frac{I_{SC}}{I_0} \right) =$

$$= 25,8 \text{ mV} \cdot \ln \left(\frac{32,5 \text{ mA}}{60 \mu\text{A}} \right) = 0,519 \text{ V} \quad \text{OK h+P VERIFICATA}$$

b) DOBBIAMO PROCEDERE PER VIA ITERATIVA

$$\begin{cases} I = -I_{PH} + I_0 \left(e^{\frac{V}{V_{TH}}} - 1 \right) = I_{SC} + I_0 \left(e^{\frac{V}{V_{TH}}} - 1 \right) \\ I = -\frac{V}{R} \end{cases}$$

↳ iterazioni = 4

$$I = -\frac{V}{R} = -\frac{V_{TH}}{R} \ln \left(\frac{I - I_{SC}}{I_0} \right) \quad \text{con } I_{SC} = -32,5 \text{ mA}$$

I^0 my guess $\rightarrow \frac{I_{SC}}{2} = -16,2 \text{ mA}$

$$I^{(1)} = -25,05 \text{ mA}$$

$$I^{(2)} = -24,04 \text{ mA}$$

$$I^{(3)} = -24,2 \text{ mA}$$

$$I^{(4)} = -24,18 \text{ mA} \quad \rightarrow V = -RI = 0,484 \text{ V}$$

$$c) \eta = \frac{|I'V|}{I_{eff} \cdot A} = \frac{11,07 \text{ nW}}{\frac{0,1 \text{ W}}{c^2} \cdot 10 \text{ m}^2} = 11,07\%$$